



Multi-Agent Pickup and Delivery in Human-Populated Environments

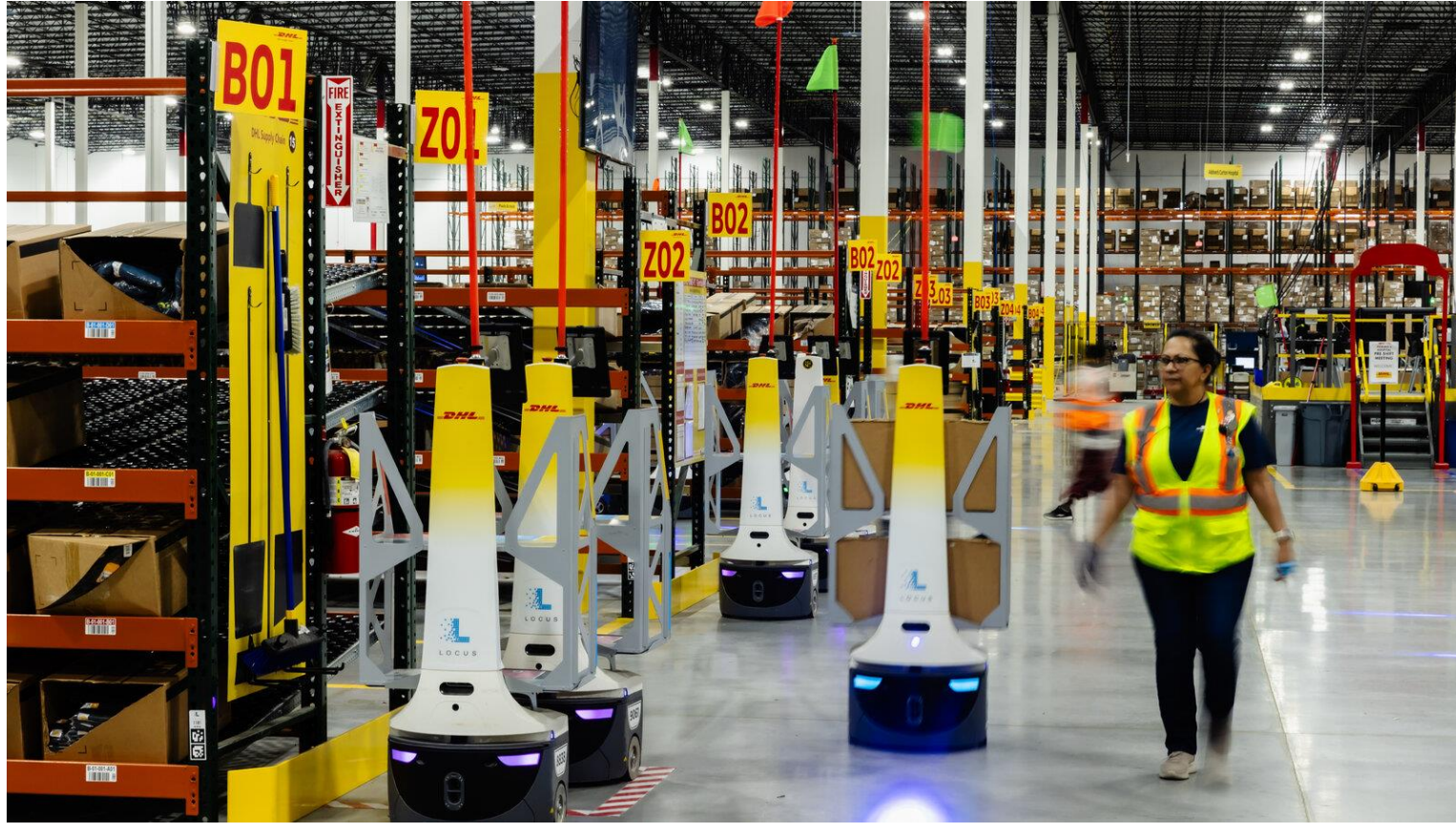
Benedetta Flammini¹, Leo D'Amato², and Francesco Amigoni¹

¹Politecnico di Milano, Milan, Italy

²National Research Council of Italy, Rome, Italy

INTRODUCTION

Multi-Agent Pickup and Delivery (MAPD) [Ma et al., 2017] problem: **finding collision-free paths for a team of agents** executing dynamically incoming pickup and delivery tasks.



Standard MAPD solvers treat robots as the only dynamic entities, which is not realistic in many real world applications, such as hospitals, shopping malls, and warehouses.

PROPOSED SOLUTION

We propose an algorithm in which agents, in addition to reactively avoiding humans, **observe humans and build a model of their behaviour**, exploiting the fact that human movements are often predictable. Agents then incorporate this information in their planning phase.

Graph Neural Network Model

Each grid cell $v \in V$ is assigned a feature vector at each time step t :

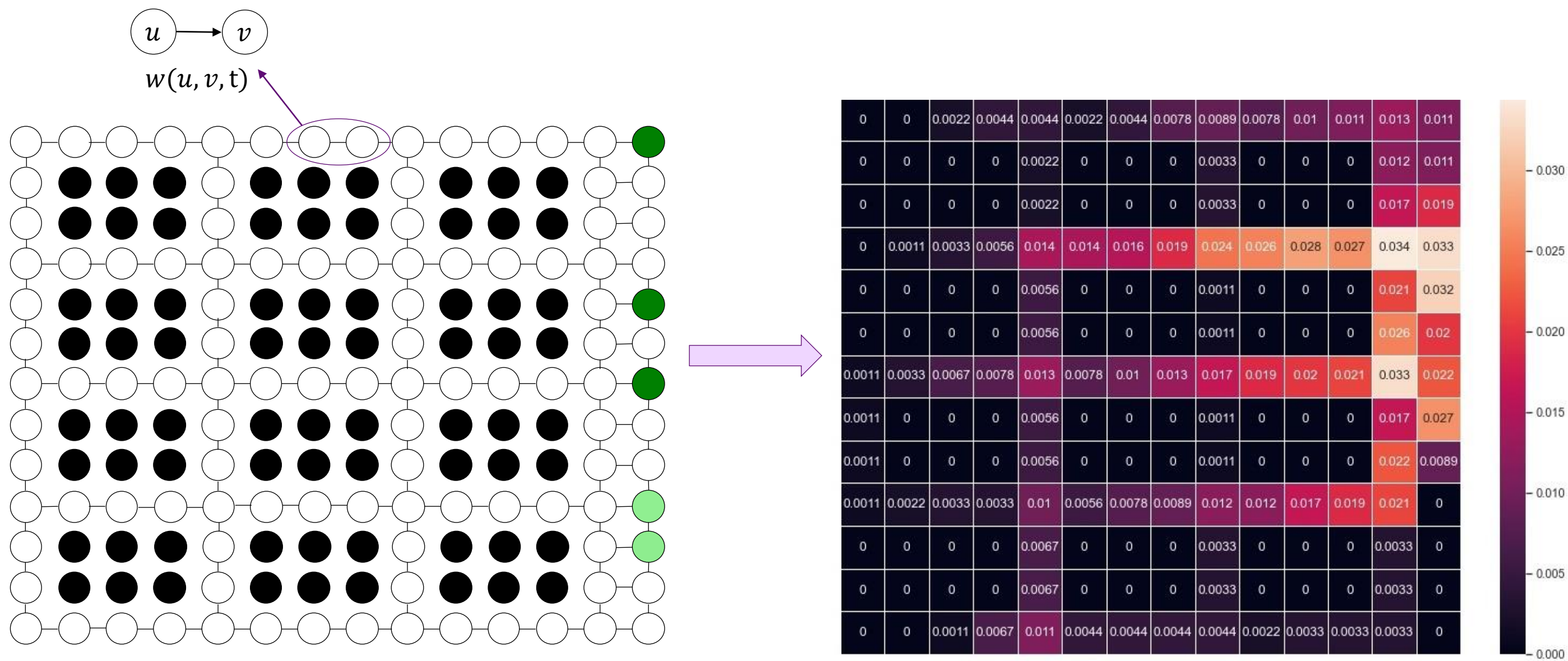
$$\mathbf{x}_v^t = (\mathbf{o}_v^t, \mathbf{tod}^t, \mathbf{dow}^t) \in \mathbb{R}^3$$

where $\mathbf{o}_v^t \in \{0,1\}$ represents binary occupancy, \mathbf{tod}^t is encoded time-of-day $\in [0,1]$, and \mathbf{dow}^t is encoded day-of-week $\in [0,1]$, at time t .

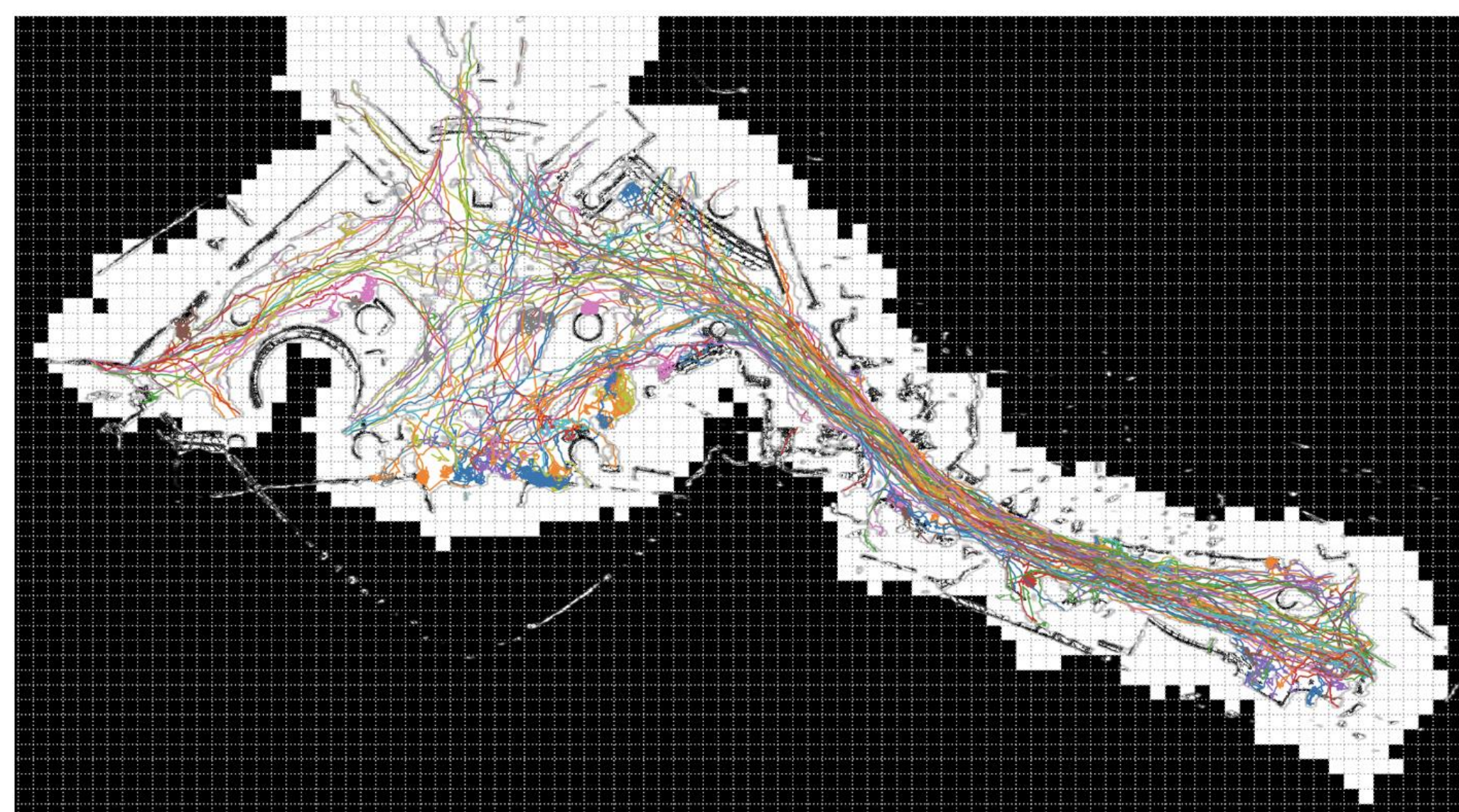
Given $T_{in} = 20$ past snapshots, at time step t the GNN predicts:

$$\mathbf{p}^{t+1:t+T_{out}} = \mathbf{f}_\theta(\mathbf{X}^{t-T_{in}+1:t}, \mathbf{G})$$

that is the occupancy probability over the next $T_{out} = 15$ future steps, where $\mathbf{X}^t \in \mathbb{R}^{|V| \times 3}$ collects the feature vectors of all vertices at time step t , and θ contains the parameters of the model.



EXPERIMENTAL RESULTS



The dataset [Brčić et al., 2013] describes the behaviour of people moving in the ATC business and shopping centre in Osaka, Japan.

Data were collected on Wednesdays and Sundays, from morning until evening.

- Number of robots: $k = 10$
- Tasks per run: 50
- Observation radius $obs = 10$ cells
- Planning horizon $H = 30$ steps
- Replan threshold $\rho = 15$ steps
- α values tested: $\{0, 0.3, 0.6, 0.9\}$
- Runs per configuration: 25
- Deliveries are located at the borders
- Pickups are sparsely diffused
- 92 days (82 training, 10 testing)

Metrics

- **Service time:** average #steps to complete a task since its appearance
- **Human disturbance:** #times paths of agents interfere with those of humans

Algorithms

- **Token Passing + Rolling Horizon**
- **Purely reactive approach** ($\alpha = 0$)

PROBLEM STATEMENT

Setting

- Environment $G = (V, E)$, a 4-connected grid (vertices = locations, edges = connections)
- Team agents $\mathcal{A} = \{a_1, a_2, \dots, a_k\}$ that have to complete a stream of pickup and delivery tasks
- Time is discrete and, at each time step, an agent can move to an adjacent vertex or wait at its current vertex
- Set of humans \mathcal{H} coexisting in G ; $|\mathcal{H}|$ is not fixed, humans enter and exit freely and can jump multiple cells per time step and move diagonally

Assumptions

- Agents cannot communicate with or restrict human movements
- Delivery and parking locations cannot be accessed by humans
- Each agent observes humans within a predefined observation radius obs (based on Manhattan distance)
- A reactive safety layer is enforced at execution time: each agent observes humans within obs , and a planned move is executed only if its Chebyshev distance from every observed human is greater than one

We introduce **MAPD in Human-Populated Environment (MAPD-HPE)**, where agents have to complete a stream of pickup and delivery tasks in an environment shared with humans.

The aim for agents is to **complete all tasks while minimizing completion time**, by finding collision-free paths not only with respect to other agents but also with respect to humans, thus **reducing any disturbance** caused to them.

Model and Plan Integration

Objective: plan paths **avoiding cells with high occupation probability while keeping a reasonable path length**.

Agents plan their paths using time-extended A* on a graph with weighted edges:

$$w(u, v, t) = (1 - \alpha) \frac{d(u, v)}{\text{diam}(G)} + \alpha p_v^{t+1}$$

Linear combination of **distance** and **occupation probability**

where p_v^{t+1} is the GNN-predicted occupation probability of v at time step $t + 1$, $d(u, v)$ the distance between vertices u and v , $\text{diam}(G)$ the diameter of graph G , and $\alpha \in [0,1]$.

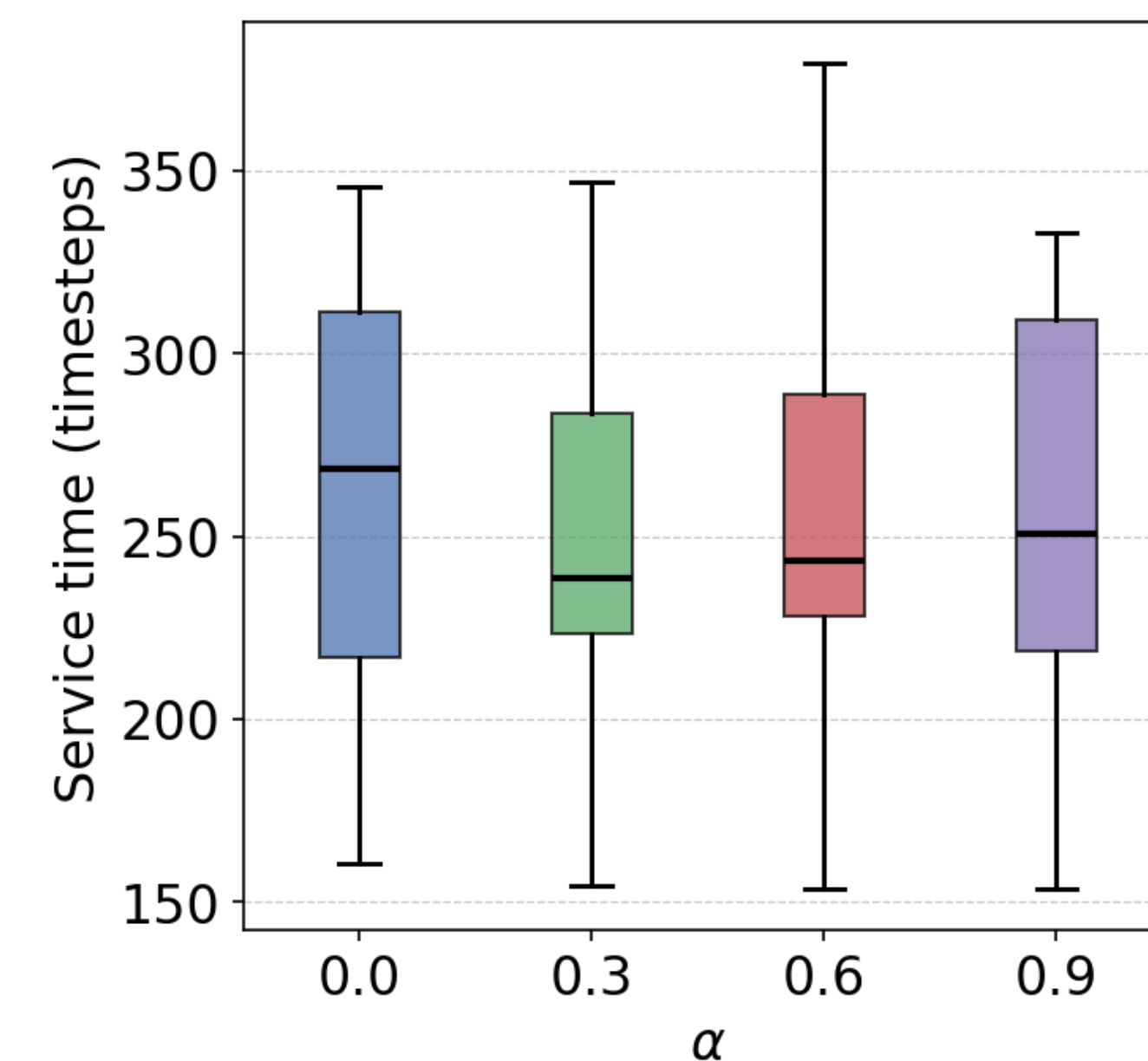
Token Passing + Rolling Horizon

The planning framework operates at two levels.

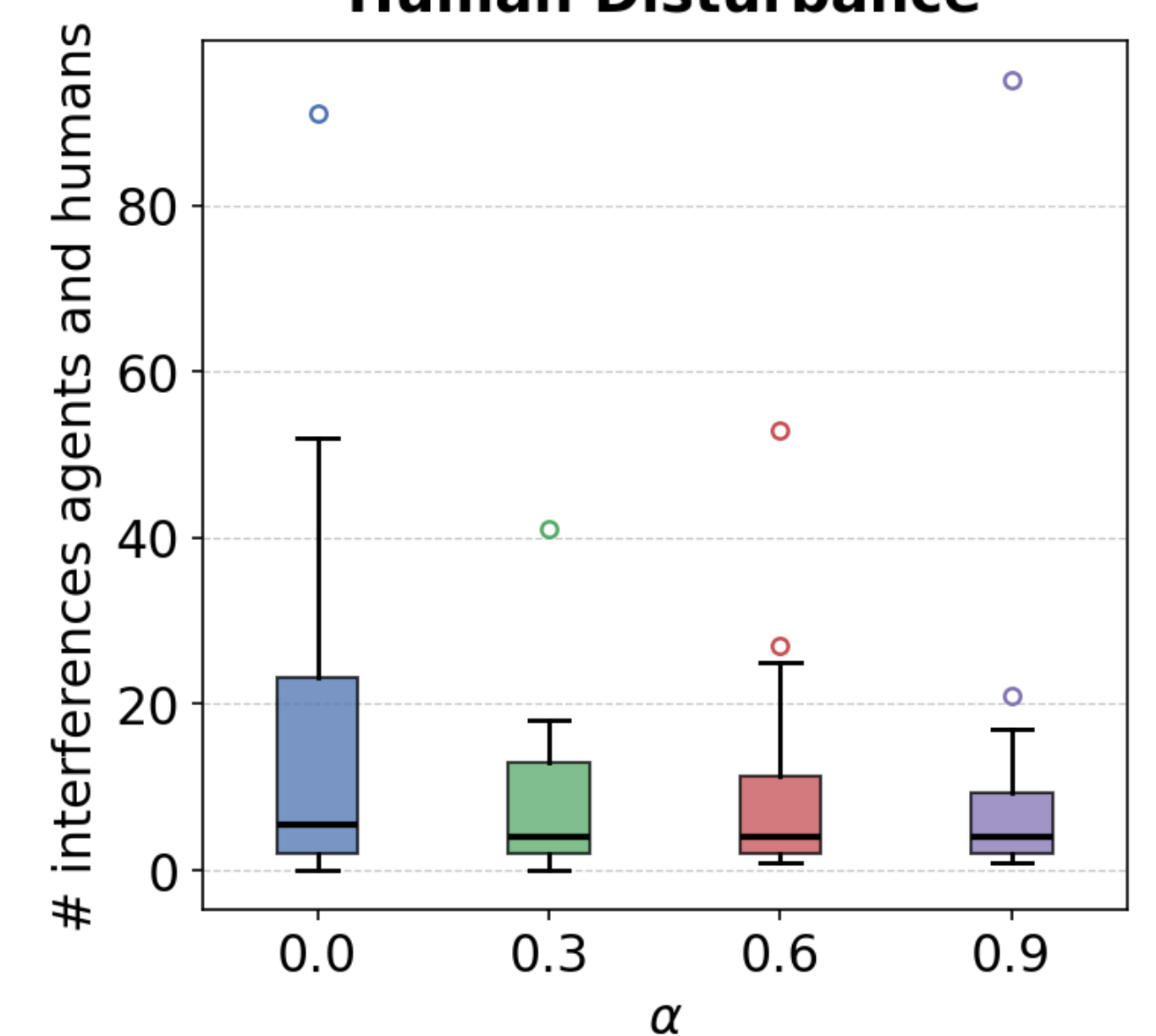
At the **coordination level**, Token Passing (TP) [Ma et al., 2017] manages task assignment and high-level conflict resolution: agents share a common token storing all current paths and task assignments, and each agent acquires it in turn to compute a conflict-free path, treating all other planned paths as obstacles.

A **rolling horizon strategy** (plan only the first H steps) ensures that updated GNN predictions are continuously exploited: agents replan whenever fewer than ρ steps remain in their current path.

Service Time



Human Disturbance



- All **human-aware** configs ($\alpha > 0$) outperform the **purely reactive baseline** ($\alpha = 0$)
- Human interferences drop
- Higher over-weights avoidance \rightarrow slight path inefficiency
- $\alpha = 0.3$ gives best trade-off between efficiency and safety

FUTURE DIRECTIONS

- Evaluate our approach on **additional environments and datasets**
- Compare with **other crowd prediction models**
- Scale to **larger agent fleets** and task sets
- Integrate **online model updates** to handle distributional shift

